

SHACC

A functional animator for a
component calculus

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SHACC - tool

- SHACC is a component-based system
 - Able define and animate systems expressed in a component calculus



Swing - Java

A components' calculus

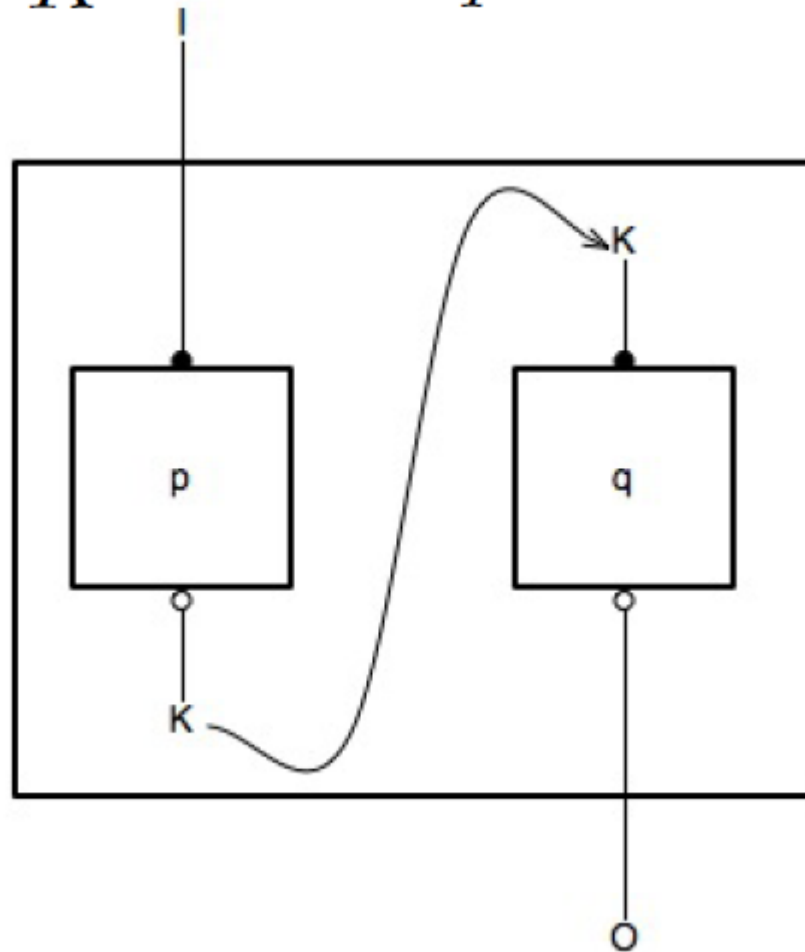
$$\langle u_p \in U_p, \bar{a}_p : U_p \longrightarrow \mathbf{B}(U_p \times O)^I \rangle$$

Where:

- u_p : is the initial state
- \mathbf{B} : is a strong monad capturing the component behavior model
- I, O is a collection of sets acting as component interfaces

$$p : I \longrightarrow K$$

$$q : K \longrightarrow O$$



$$p ; q = \langle \langle u_p, u_q \rangle \in U_p \times U_q, \bar{a}_{p;q} \rangle$$

Where:

$$\begin{aligned}
 a_{p;q} &= U_p \times U_q \times I \xrightarrow{\times r} U_p \times I \times U_q \xrightarrow{a_p \times \text{id}} \\
 &\mathbf{B}(U_p \times K) \times U_q \xrightarrow{\tau_r} \mathbf{B}(U_p \times K \times U_q) \xrightarrow{\mathbf{B}(a \cdot \times r)} \\
 &\mathbf{B}(U_p \times (U_q \times K)) \xrightarrow{\mathbf{B}(\text{id} \times a_q)} \mathbf{B}(U_p \times \mathbf{B}(U_q \times O)) \\
 &\xrightarrow{\mathbf{B}\tau_l} \mathbf{BB}(U_p \times (U_q \times O)) \xrightarrow{\mathbf{BB}a^\circ} \\
 &\mathbf{BB}(U_p \times U_q \times O) \xrightarrow{\mu} \mathbf{B}(U_p \times U_q \times O)
 \end{aligned}$$

Using Haskell to describing the calculus

```
seqCompostion :: Strong m =>
```

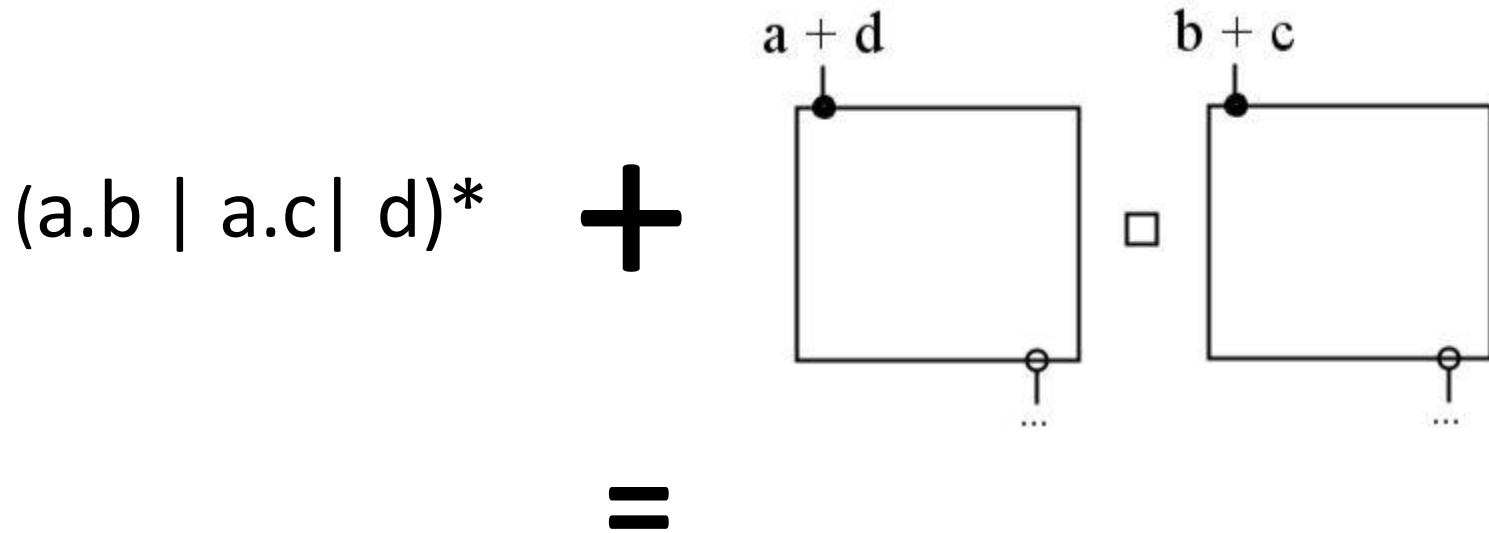
```
((u,i) -> m (u,k)) ->
```

```
((v,k) -> m (v,o)) ->
```

```
((u,v), i) -> m ((u,v), o)
```

```
seqCompostion p q = mult . (fmap (fmap assocl)). (fmap lstr).  
                      (fmap (id >< q)) . (fmap xl).  
                      rstr . (p >< id) . xr
```

Extension of the prototyper with a behavioural customization

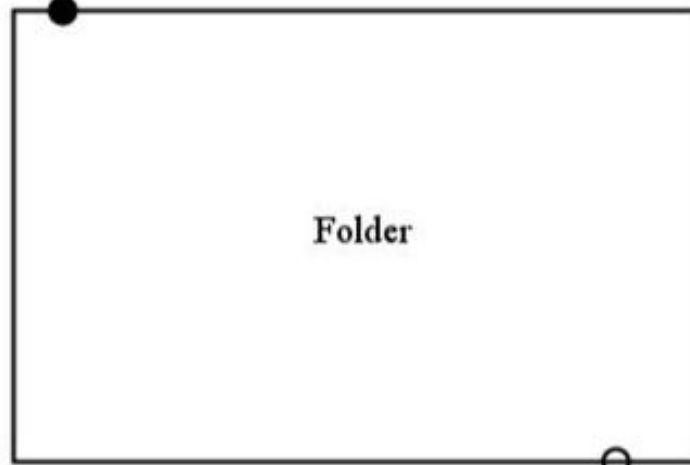


Safe mode

Example: Folder

1. Turn page left – **Tl**
2. Turn page right – **Tr**
3. Read- **Rd**
4. Insert – **Ins**

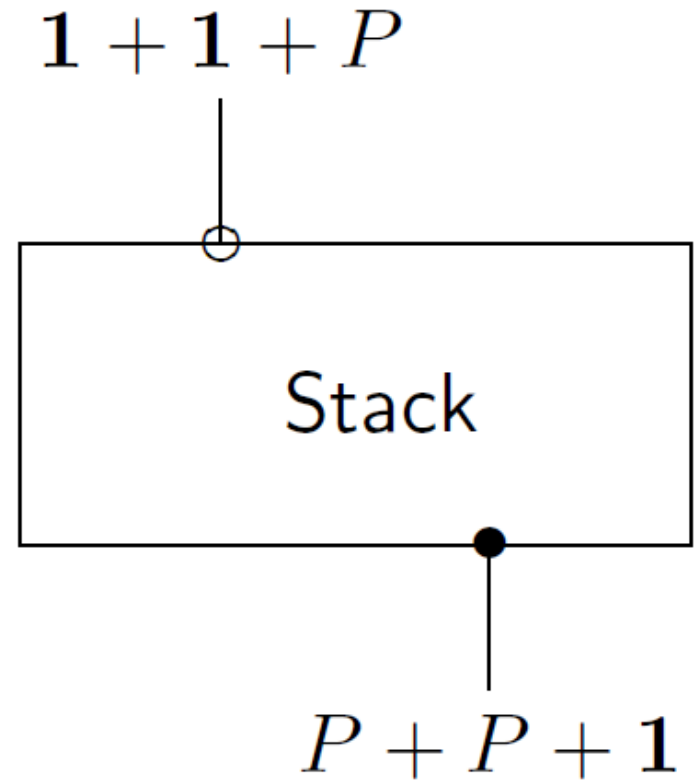
$1:Tl + 1:Tr + 1:Rd + P:Ins$



$1:Tl + 1:Tr + P:Rd$

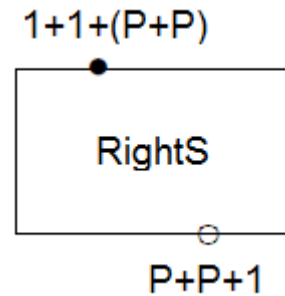
Stack

$$\left\{ \begin{array}{l} \text{pop : } \mathbf{1} \longrightarrow P \\ \text{top : } \mathbf{1} \longrightarrow P \\ \text{push : } P \longrightarrow \mathbf{1} \end{array} \right.$$

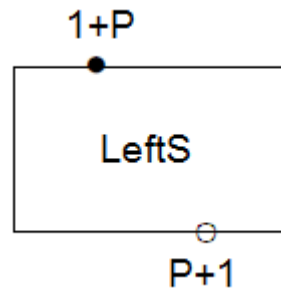


Defining Components

$$\text{RightS} = \text{Stack}[\text{id} + \nabla, \text{id}] : 1 + 1 + (P + P) \rightarrow P + P + 1$$



$$\text{LeftS} = \text{Stack}[i_2 + \text{Id}, (\text{id} + !_{p+1}) \bullet a_+] : 1 + P \rightarrow P + 1$$

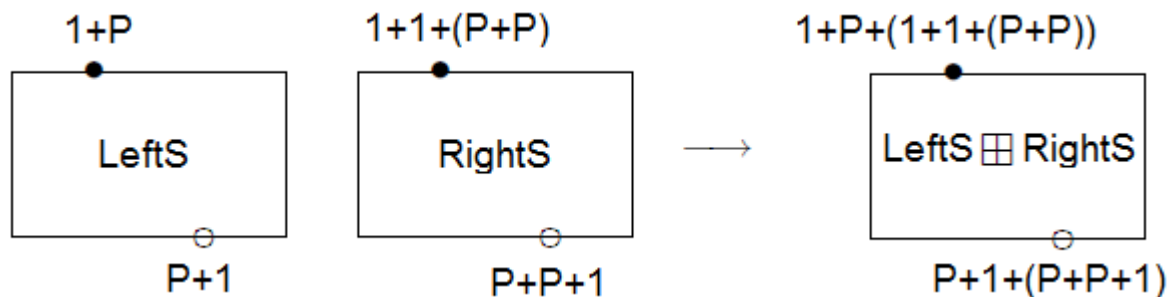


Choice (\boxplus)

$$\text{RightS} = \text{Stack}[\text{id} + \nabla, \text{id}] : \boxed{1 + 1 + (P + P)} \rightarrow P + P + 1$$

$$\text{LeftS} = \text{Stack}[i_2 + \text{Id}, (id + !_{p+1}) \bullet a_+] : \boxed{1 + P} \rightarrow P + 1$$

$$\text{LeftS} \boxplus \text{RightS} : \boxed{1 + P + (1 + 1 + (P + P))} \rightarrow P + 1 + (P + P + 1)$$



Combinator Hook (↵)

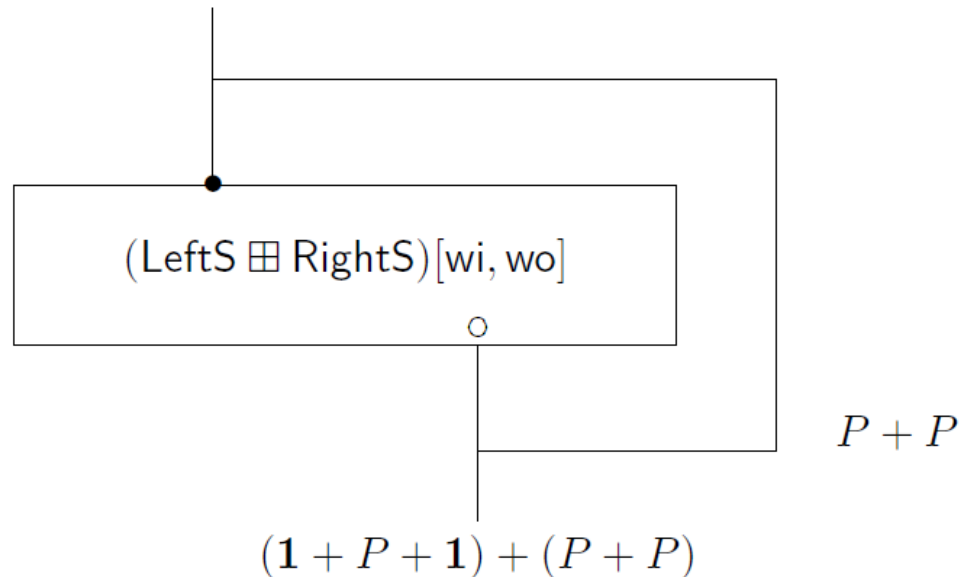
$$\text{AlmostFolder} = ((\text{LeftS} \boxplus \text{RightS})[wi, wo]) \curvearrowright_{P+P}$$

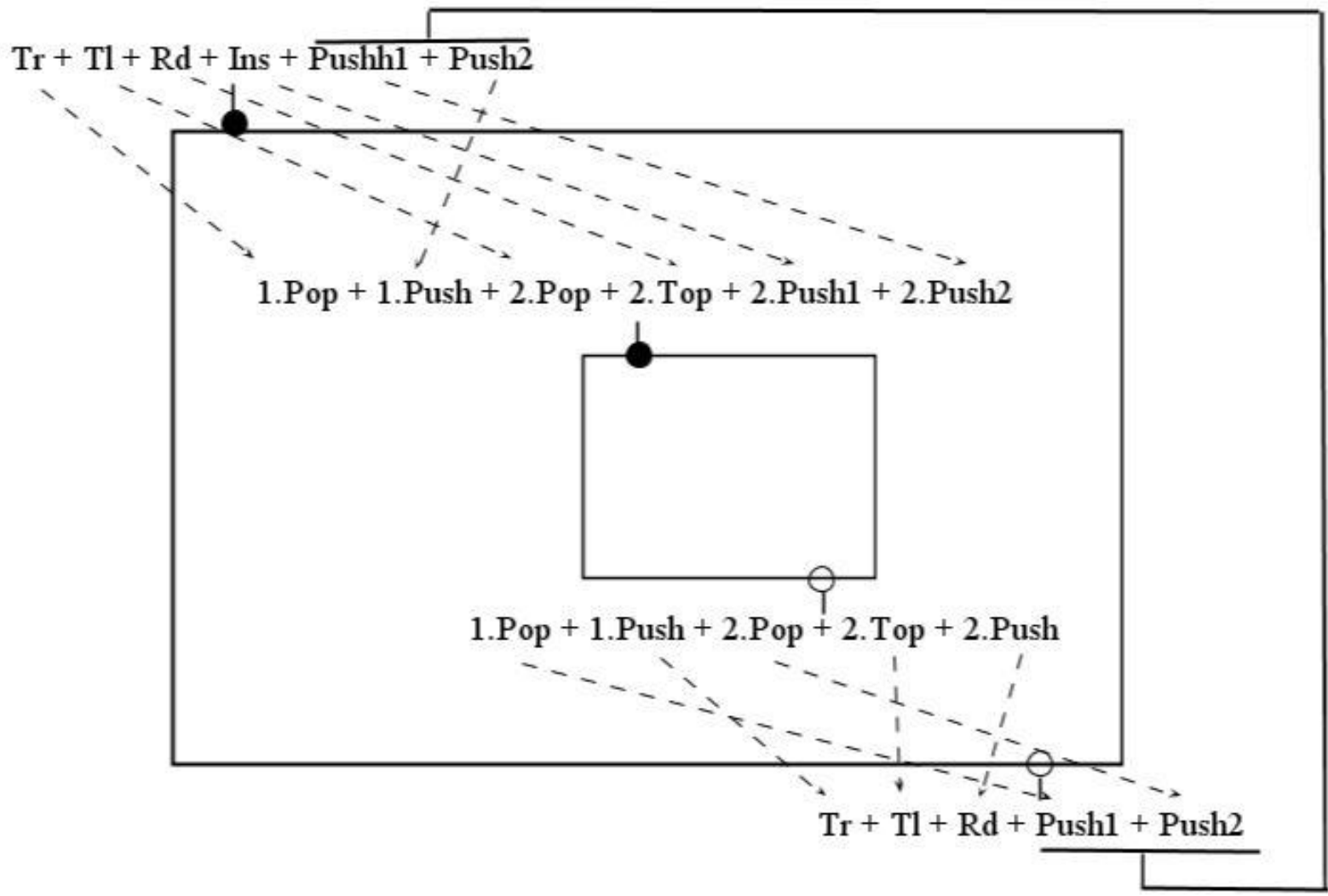
Where,

$$wi = [[[[i_{11}, i_{211}], i_{212}], i_{222}], [i_{221}, i_{12}]]$$

$$wo = [[i_{21}, i_{111}], [[i_{22}, i_{112}], i_{12}]]$$

$$(\mathbf{1} + \mathbf{1} + \mathbf{1} + P) + (P + P)$$





Component

AlmostFolder

Interface

Input

$$(((Tr+Tl)+Rd)+Ins)+(Push1+Push2)$$

Output

$$(((Tr+Tl)+Rd)+(Push1+Push2))$$

Connections

From Input

Tr
Tl
Rd
Ins
Push1
Push2

To Input

1.Pop
1.Push
2.Pop
2.Top
2.Push1
2.Push2

Add Input

(Tr, 1.Pop),
(Tl, 2.Pop),
(Rd, 2.Top),
(Ins, 2.Push1),
(Push1, 2.Push2),
(Push2, 1.Push)

From Output

1.Pop
1.Push
2.Pop
2.Top
2.Push

To Output

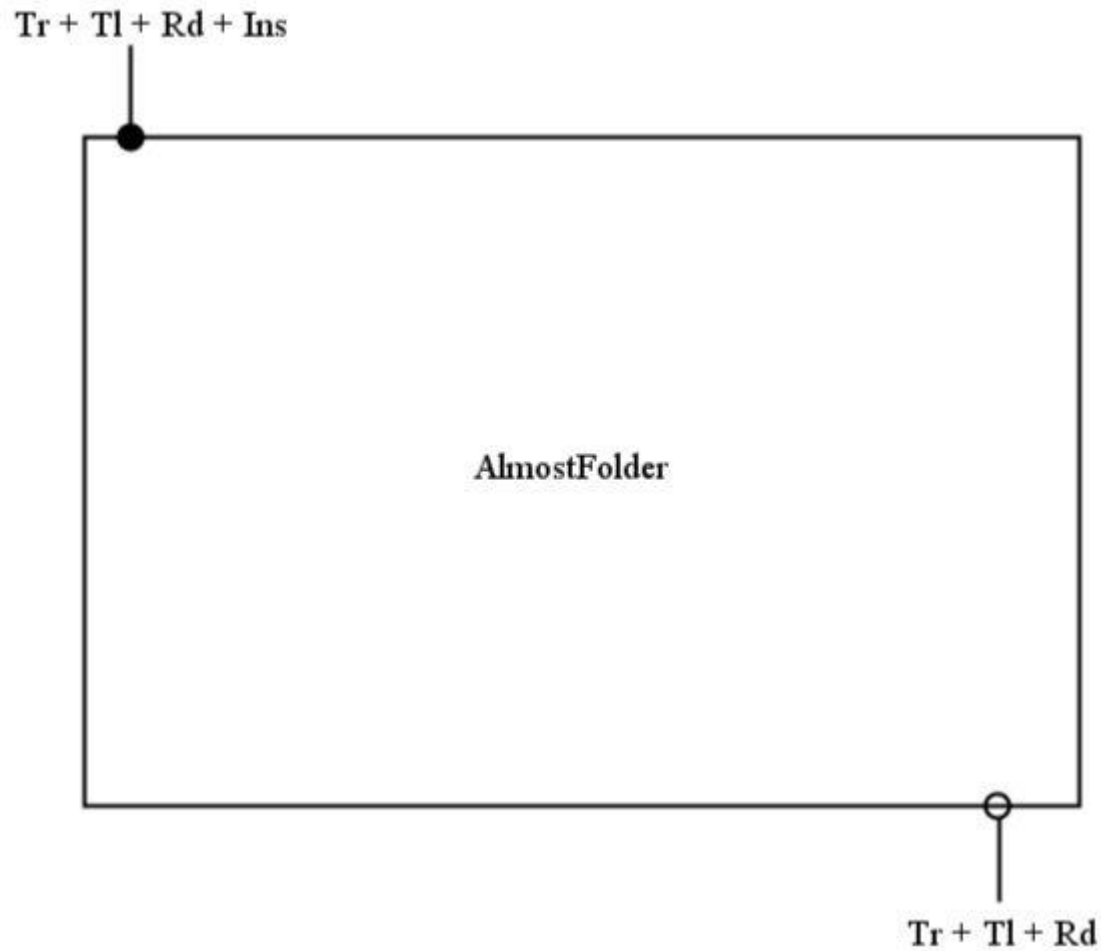
Tr
Tl
Rd
Push1
Push2

Add Output

(1.Pop, Push1),
(1.Push, Tr),
(2.Pop, Push2),
(2.Top, Tl),
(2.Push, Rd)

Create

Providing the final interface of Folder



Demo...

Future work!

- Adding Quality of Service to calculus
 - The calculus to include the QoS
- SHACC
 - Implementation of calculus with QoS
 - Improving User-Interface

Questions?